Learning the distinction between Self and Other

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Actions



My brain can simulate your computations...



Suzuki et al. Neuron 2012

Hill et al. Nature Communications 2016

Paradigm: A probabilistic false-belief task



Participants must keep track of their own beliefs AND the other person's beliefs (probed every 4-9 coin flips)





Agent identity is decodable from low level learning signals



Agent decodability predicts behavioural self-other distinction



Interim summary

Self-other distinction can be achieved by expressing low-level learning signals in agent-specific neural activity patterns

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Getting a handle on self-other distinction













Learning the distinction between self and other



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Behavioural evidence for self-other distinction learning



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Summary

- Self-other distinction can be achieved with agent-specific learning signals (behaviour, MEG)
- The degree of self-other distinction can be learned through training (behaviour)

Thank you!

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Other brilliant people: At the Max Planck UCL Centre At the FIL



Supplementary: Agent decodability predicts subclinical personality traits



Supplementary: Modelling beliefs

$$PE^{s}_{(t)} = \begin{cases} 0 & \text{if Decoy trial} \\ Outcome_{(t)} - B_{(t-1)} & \text{otherwise} \end{cases}$$

 $PE^{o} = \begin{cases} 0 & if \ Privileged \ trial \\ Outcome_{(t)} - B_{fb}^{-} & otherwise \end{cases}$

$$B_{(t)} = B_{(t-1)} + \alpha . PE^{s}_{(t)}$$
$$B_{\widehat{fb}_{(t)}} = B_{\widehat{fb}_{(t-1)}} + \alpha . PE^{o}_{(t)}$$

$$B_{(t)} = B_{(t-1)} + \alpha . PE^{s}_{(t)} + \delta(0.5 - B_{(t-1)})$$

$$B_{fb}_{(t)} = B_{fb}_{(t-1)} + \alpha . PE^{o}_{(t)} + \delta(0.5 - B_{fb}_{(t-1)})$$

$$B_{(t)} = B_{(t-1)} + \alpha . PE^{s}_{(t)} + \lambda . PE^{o}_{(t)}$$
$$B_{fb}_{(t)} = B_{fb}_{(t-1)} + \alpha . PE^{o}_{(t)} + \lambda . PE^{s}_{(t)}$$















Supplementary: Association between selfother distinction and delay discounting

